

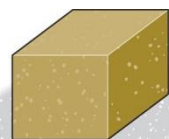
CHEN.3030 Fluid Mechanics

I. Fundamental Concepts and Fluid Properties

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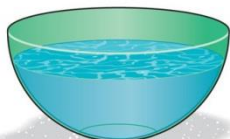
See **Chapter 1**
(sections 1–10)
in your text by
Hibbeler

Solids, Liquids, and Gases



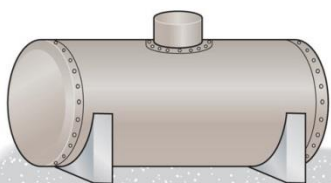
Solids maintain a constant shape

(a)

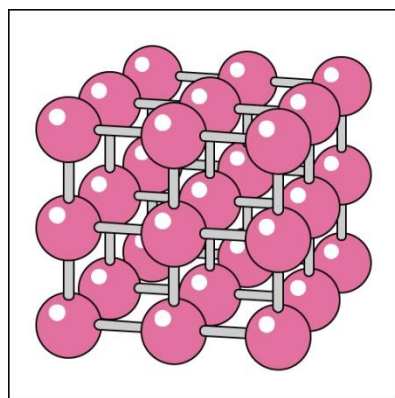
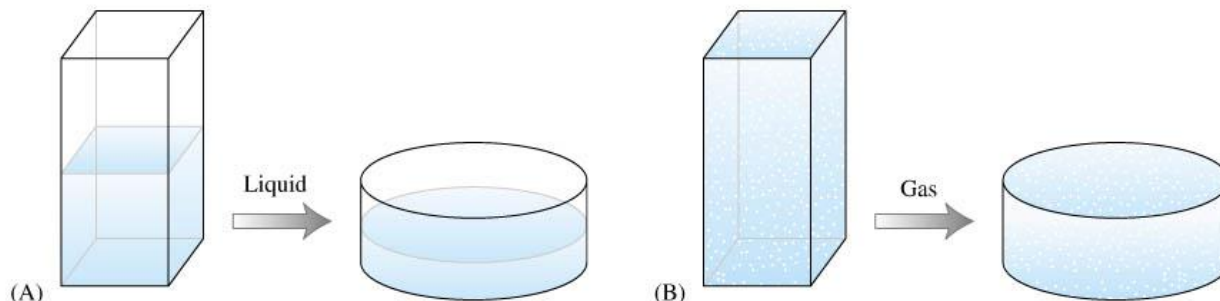


Liquids take the shape of their container

(b)

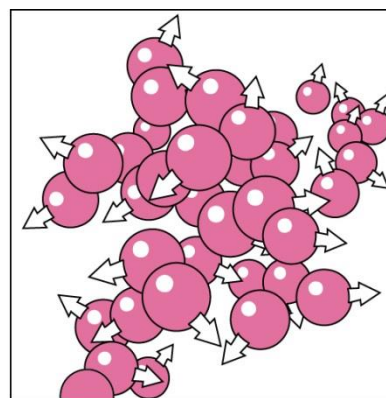


Gases fill the entire volume of their container



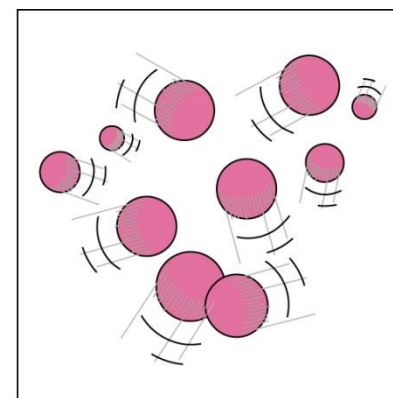
(a)

solids



(b)

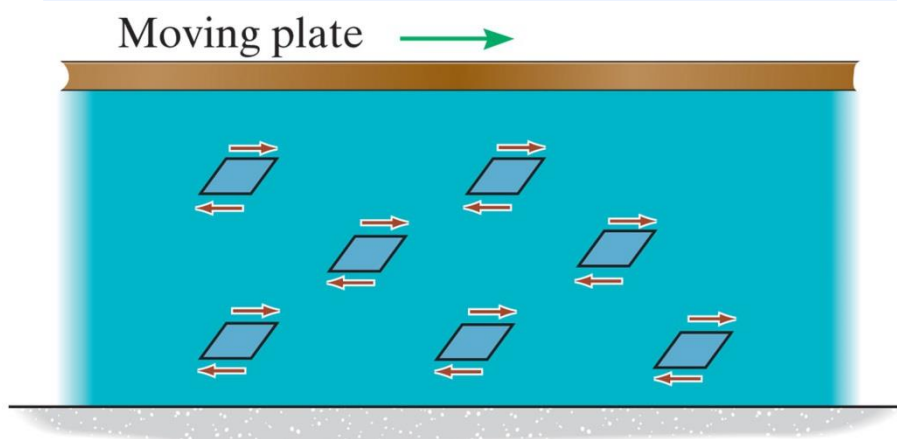
liquids



(c)

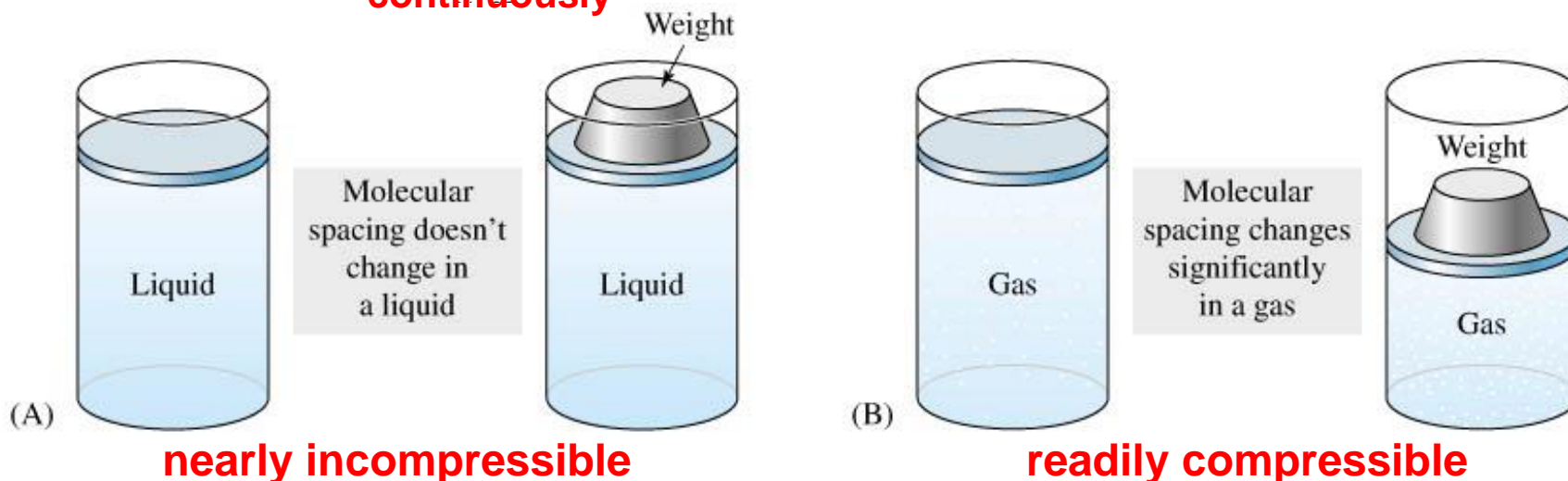
gases

Fluid Definition and Compressibility

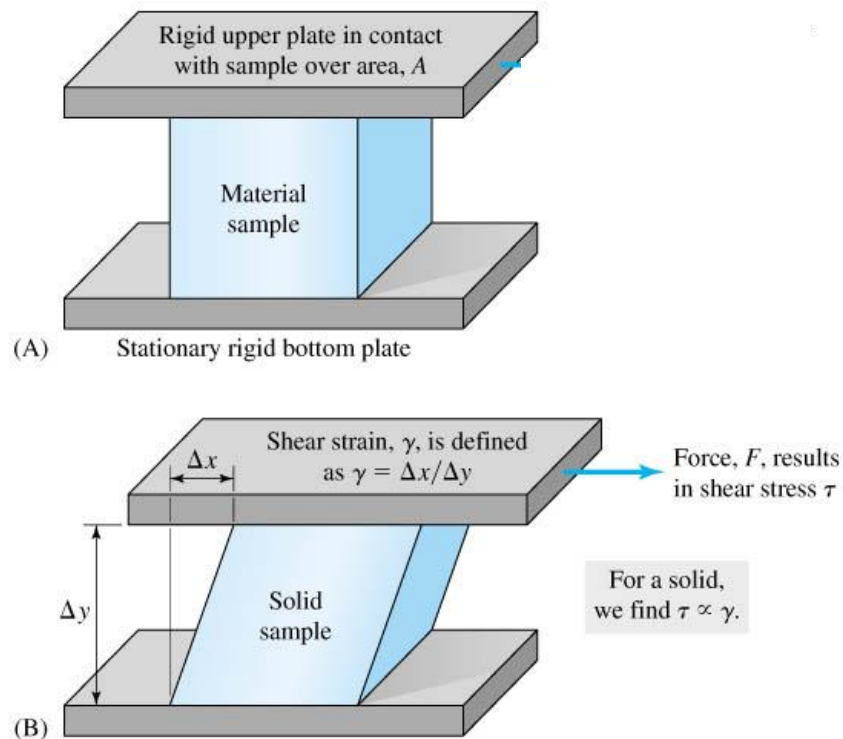


fluids → liquids + gases

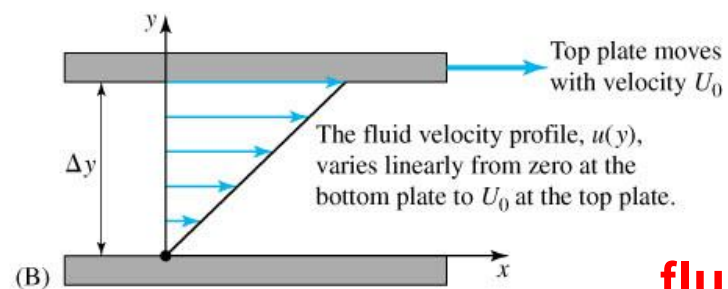
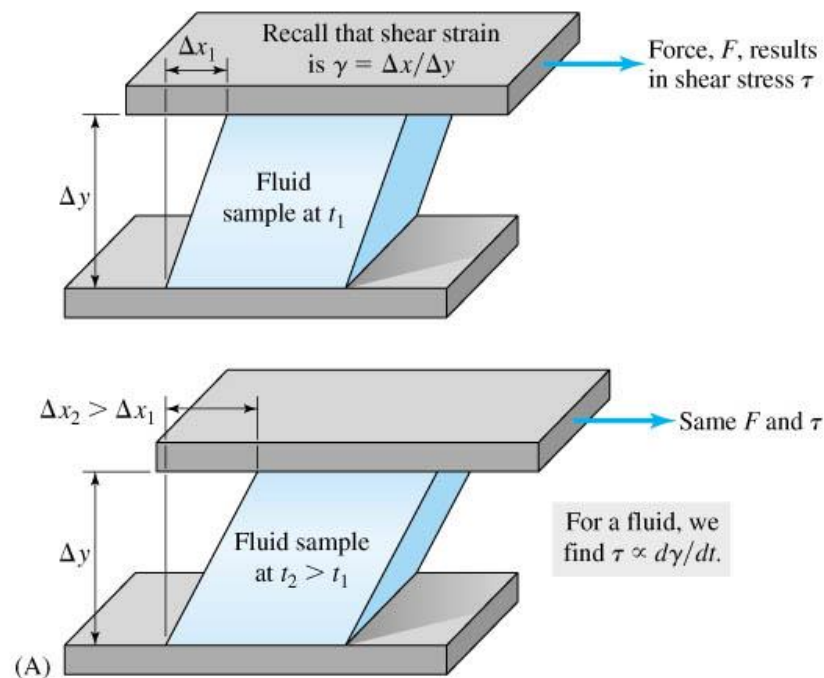
All fluid elements *deform* when subjected to shear
[^]**continuously**



Fluids Continuously Deform under a Shear Stress

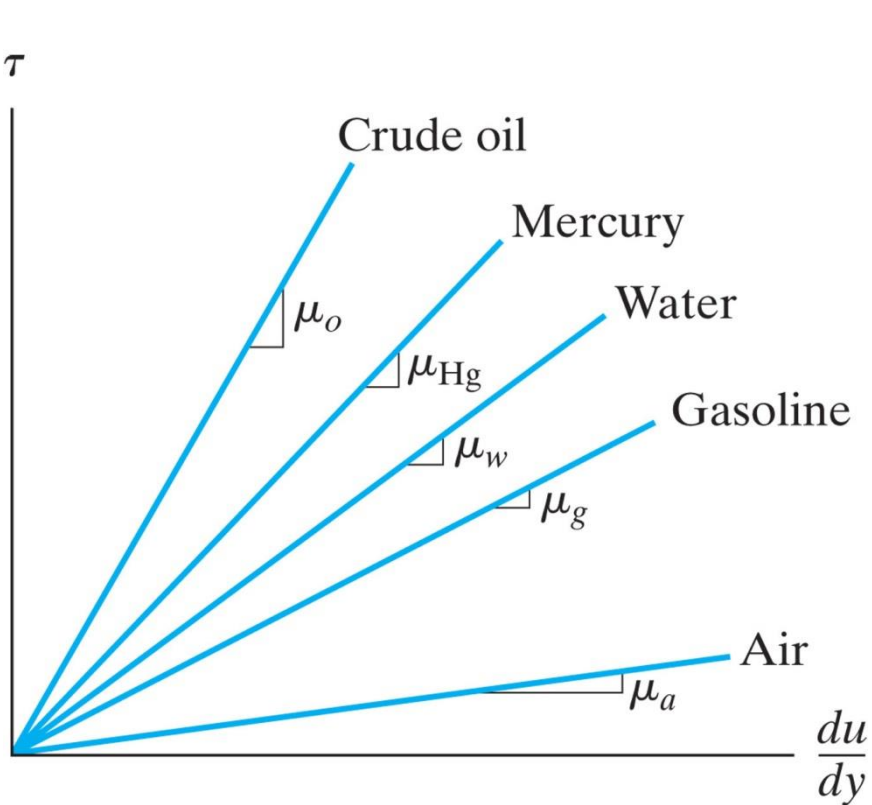


solid

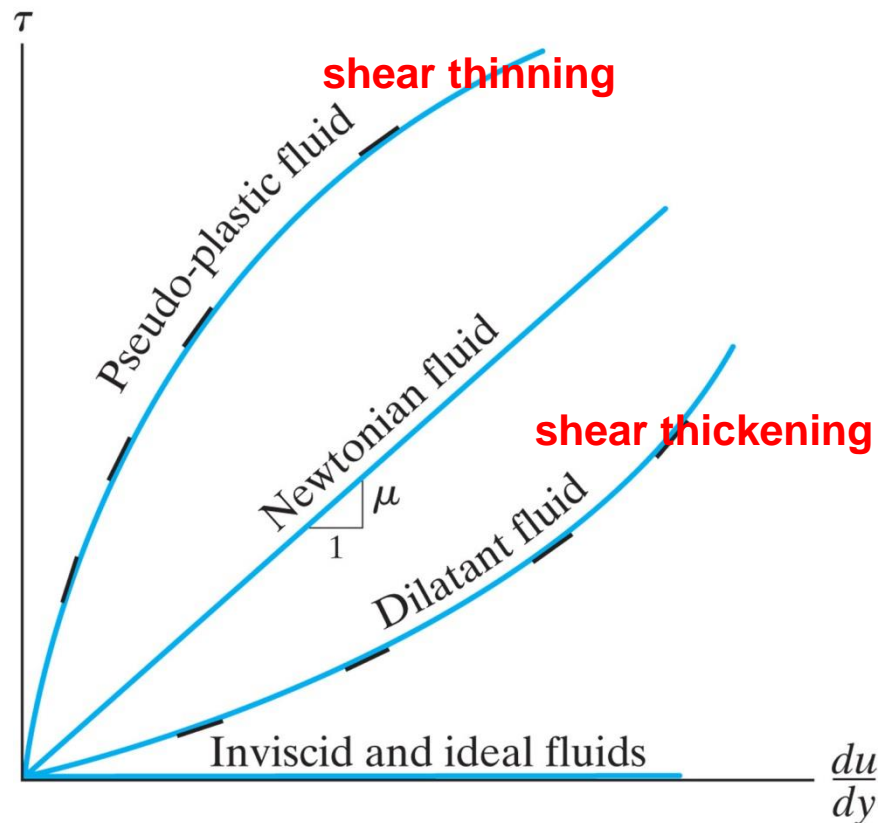


fluid

Newtonian & Non-Newtonian Fluids



The higher the viscosity, the more difficult it is for a fluid to flow.



Newtonian & Non-Newtonian Fluids

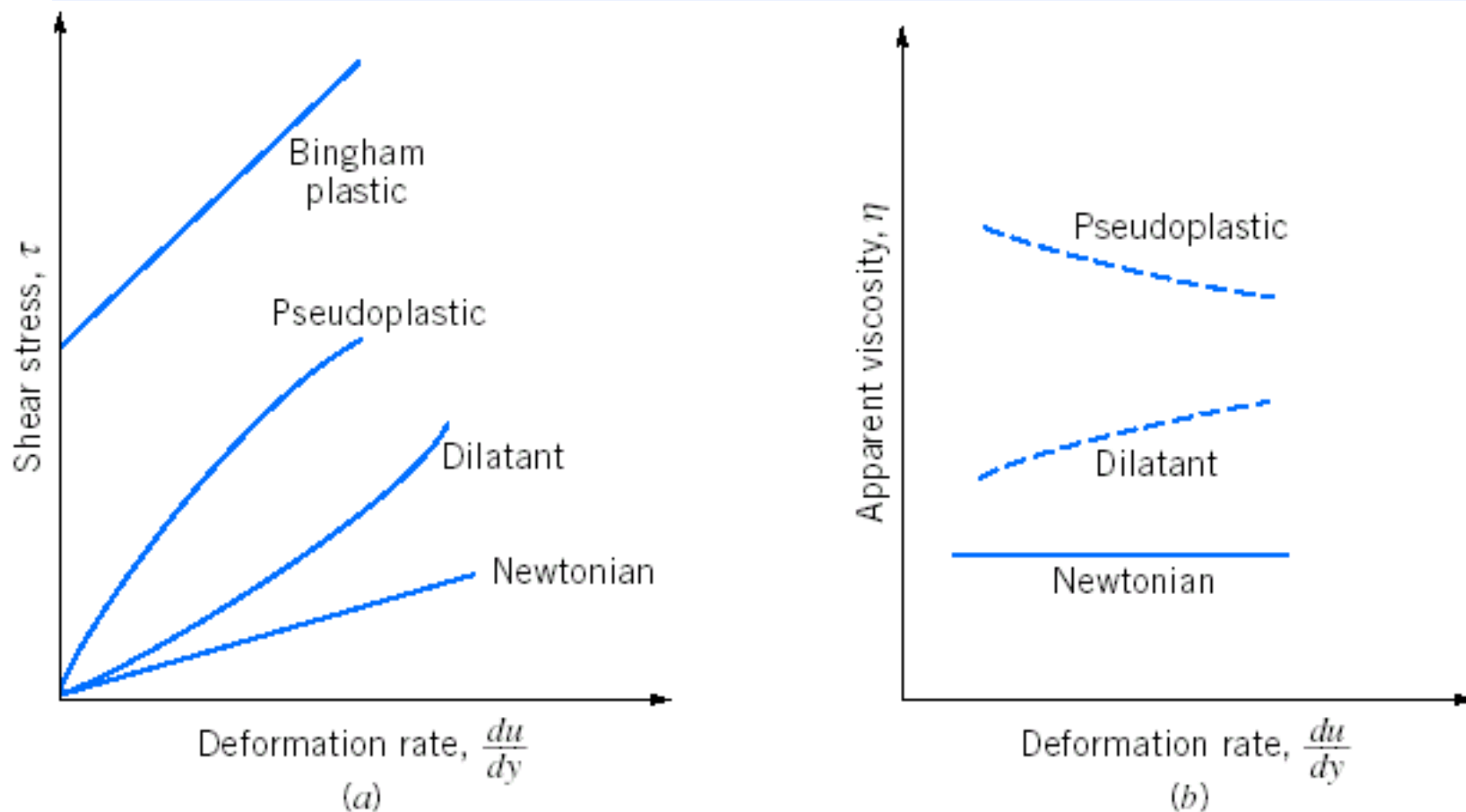
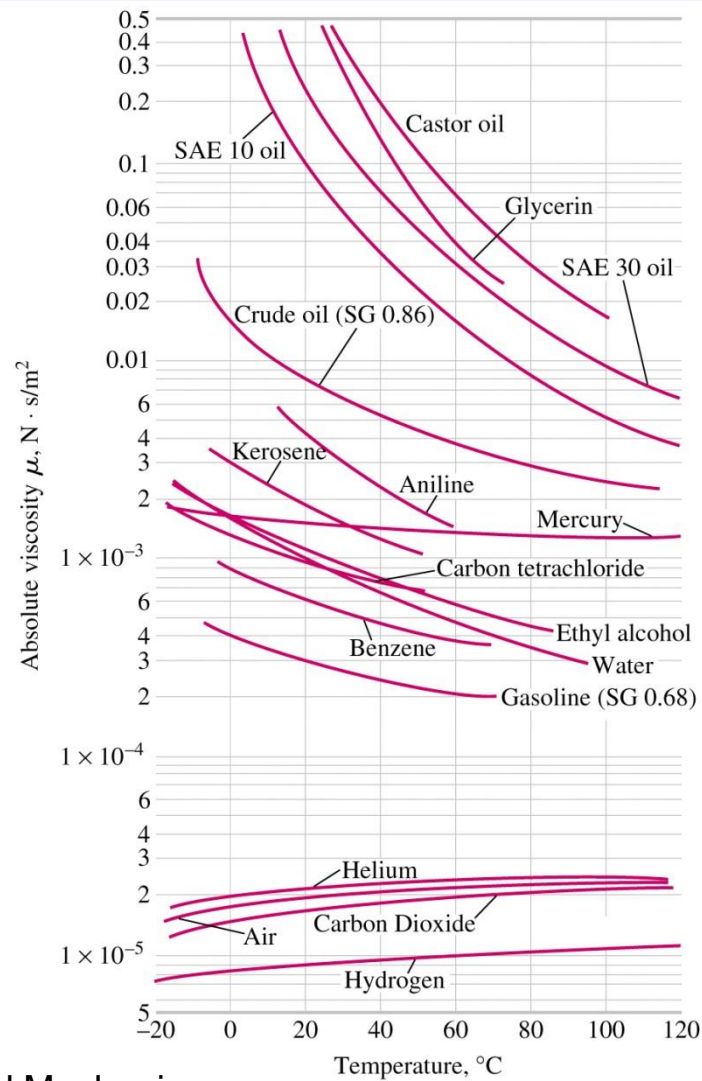
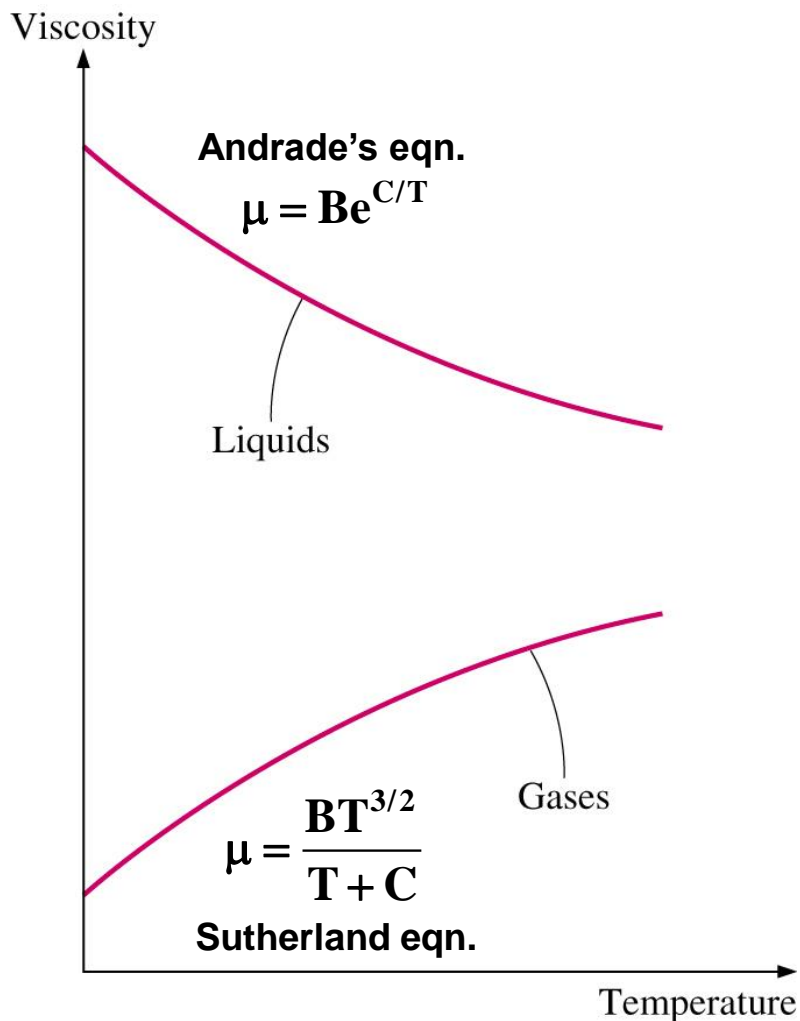


Fig. 2.8 (a) Shear stress, τ , and (b) apparent viscosity, η , as a function of deformation rate for one-dimensional flow of various non-Newtonian fluids.

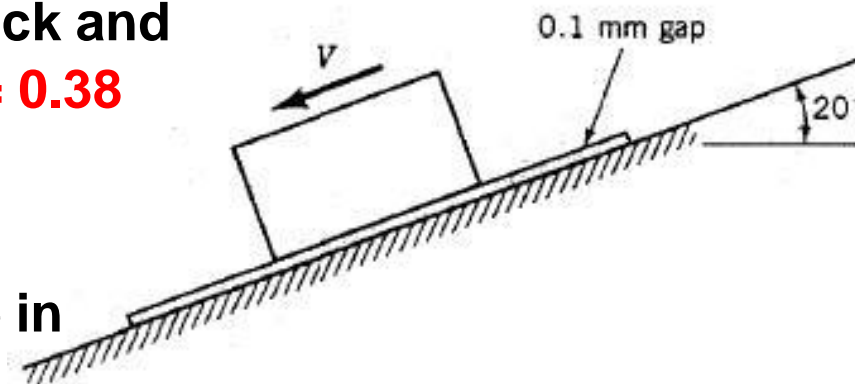
Viscosity vs. Temperature



Ex. #1 – Block on Inclined Surface

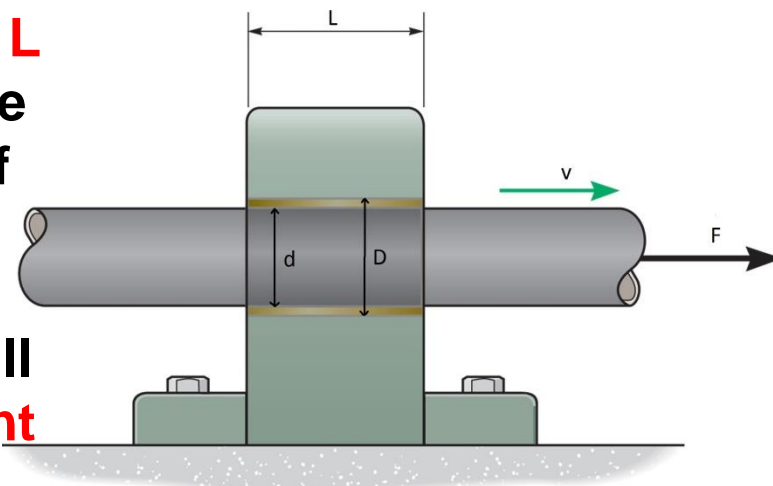
A **10 kg block** slides down a smooth inclined surface as shown. Determine the terminal velocity v of the block if the **0.1 mm gap** between the block and the surface contains **oil with $\mu = 0.38$ N-s/m²**. The area of the block in contact with the oil is **0.2 m²**.

Assume that the velocity profile in the thin gap is linear.



Ex. #2 – A Simple Viscometer

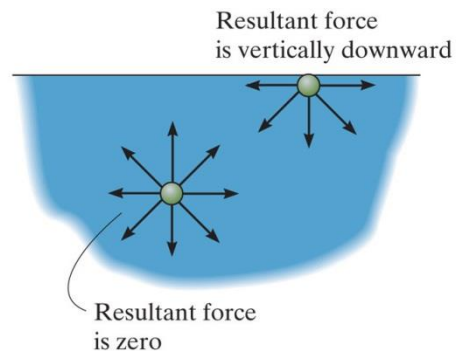
Consider a horizontal shaft of **length L** and **diameter d** being pulled along the axial centerline of a bearing sleeve of **diameter D** . The clearance is filled with the fluid of interest. At equilibrium, the **force F** needed to pull the rod through the sleeve at **constant velocity v** is exactly balanced by the viscous friction along the sides of the shaft.



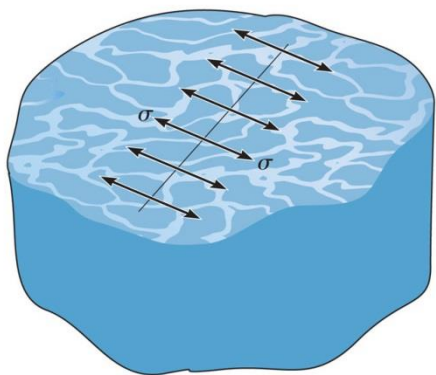
- For this situation, **develop an expression for the fluid viscosity** in terms of the system parameters, F , v , d , D , and L . Assume a linear velocity profile in the thin gap.
- Given that **$d = 6 \text{ cm}$** , **$D = 6.02 \text{ cm}$** , and **$L = 40 \text{ cm}$** , **what is the kinematic viscosity of the test fluid ($sg = 0.88$)** if the measured steady state velocity was **0.4 m/s** for a applied force of **800 N** ?

Surface Tension

Surface tension forces for several cases ($F_\sigma = \sigma \times \text{length}$)

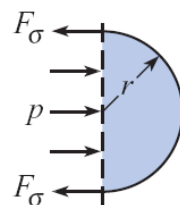


(a)



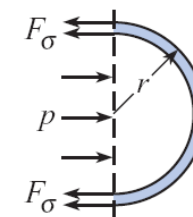
Surface tension is the force per unit length needed to separate the molecules on the surface

(b)

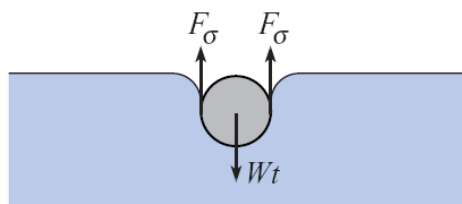


(a) Spherical droplet

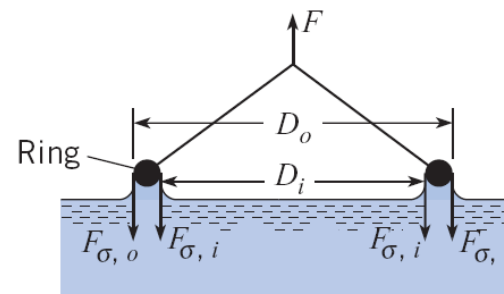
p is gage pressure here



(b) Spherical bubble

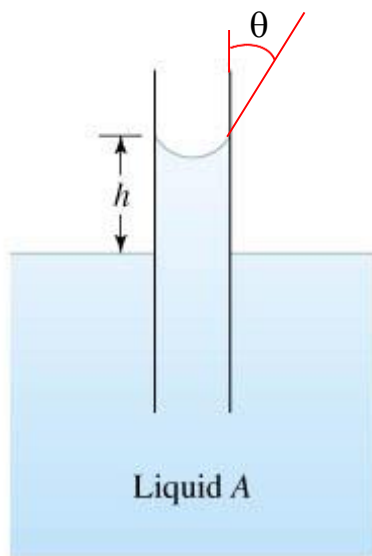


(c) Cylinder supported by surface tension (liquid does not wet cylinder)



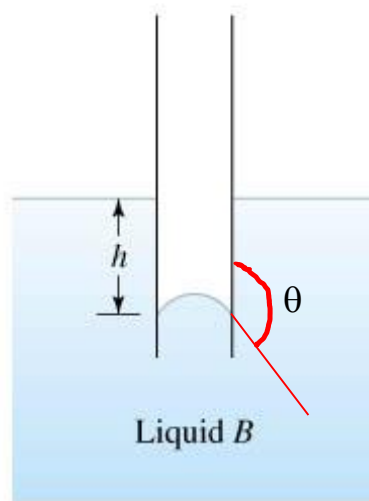
(d) Ring pulled out of liquid (liquid wets the ring)

Capillary Action



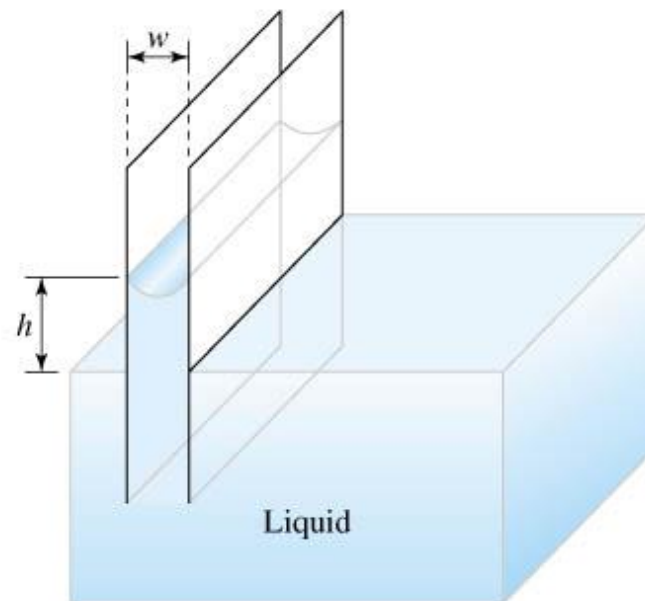
(A)

wetting fluid



(B)

non-wetting fluid



Circular tube of diameter d :
$$\sigma \cos \theta (\pi d) - \rho g \left(\frac{\pi d^2 h}{4} \right) = 0$$

$$h = \frac{4\sigma \cos \theta}{d\rho g}$$

Rectangular slot of width w :
$$\sigma \cos \theta (2L) - \rho g (wLh) = 0$$

 (assumes $L \gg w$)

$$h = \frac{2\sigma \cos \theta}{w\rho g}$$